



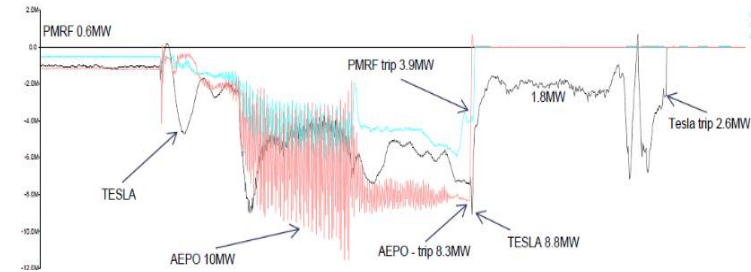
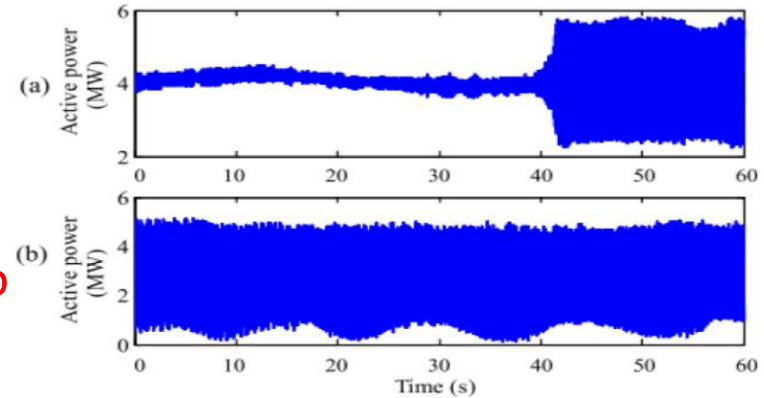
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# A Stability Analysis Framework for Oscillation Analysis and Mitigation

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ESIG 2026 Spring Workshop  
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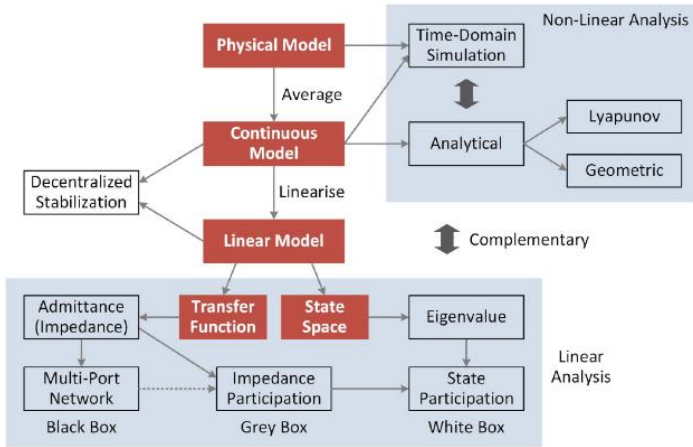
# Background

- Power system stability has become a significant concern to all energy stakeholders because of ever-increasing Inverter Based Resources (IBRs)
- **IBR driven stability causes significant damage to the power system**
- The stability challenges may become more significant in the future when IBRs become dominant in power systems
- **Grid operators need tools to identify the stability issues and find mitigation solutions.**

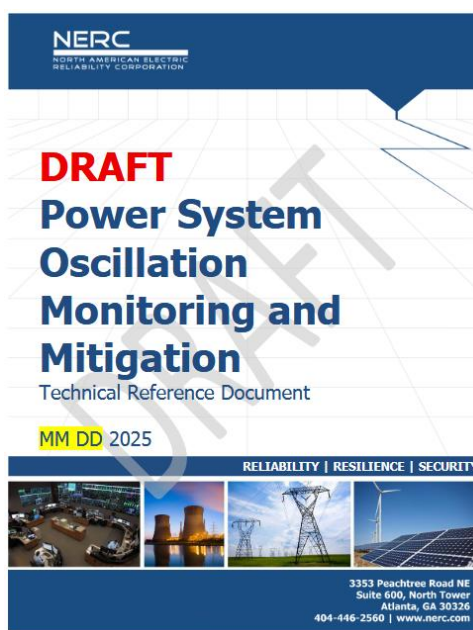


Credit: KIUC

# Motivation/Goal



- A methodology and framework that based on the power system models and dynamics
  - Gives insight to the effect of parameters, setpoints, etc.
- Scalable to large systems
  - Realistic for utilities to use
- Quick and simple to use



- Provide good information of oscillations
- Lack of insights on how to mitigate those issues
  - Some methods can't provide those information (scratch the surface of the problems)
- Run as an analytic digital twin model for grid operator to pinpoint the stability issue and mitigate solutions

# An Overview of The Framework

## Data Input

*Automated  
Parsing*

IBRs, Generators,  
Network



## Power Flow

*Fast - Find  
Operating Point*



## Automated Differentiation

*Allows for generating devices across the  
system to be connected*

$$\frac{df}{dx} = \left[ \begin{array}{ccccccc} \text{GFL1} & & & & & & \\ & \text{GFL2} & & & & & \\ & & \dots & & & & \\ & & & \text{GFM1} & & & \\ & & & & \text{GFM2} & & \\ & & & & & \dots & \\ & & & & & & \text{SG1} \\ & & & & & & & \text{SG2} \\ & & & & & & & & \dots \end{array} \right]$$



## System-Wide Model

*Perform matrix math to express the entire  
system as a single, standalone equation*

$$\frac{dx}{dt} = Ax$$



## Parameter Sensitivity

*Assess parameter's impact on the  
properties of A*

$$\frac{d\lambda}{d\eta}$$



How to best change  $\eta$  so  
oscillations damp out?



## Applications

Stability indication  
Oscillation detection  
Identify cause of oscillation  
Mitigate oscillation (e.g., control  
parameter tuning)

**This small-signal based stability framework is fully automated!**

# Example Test System

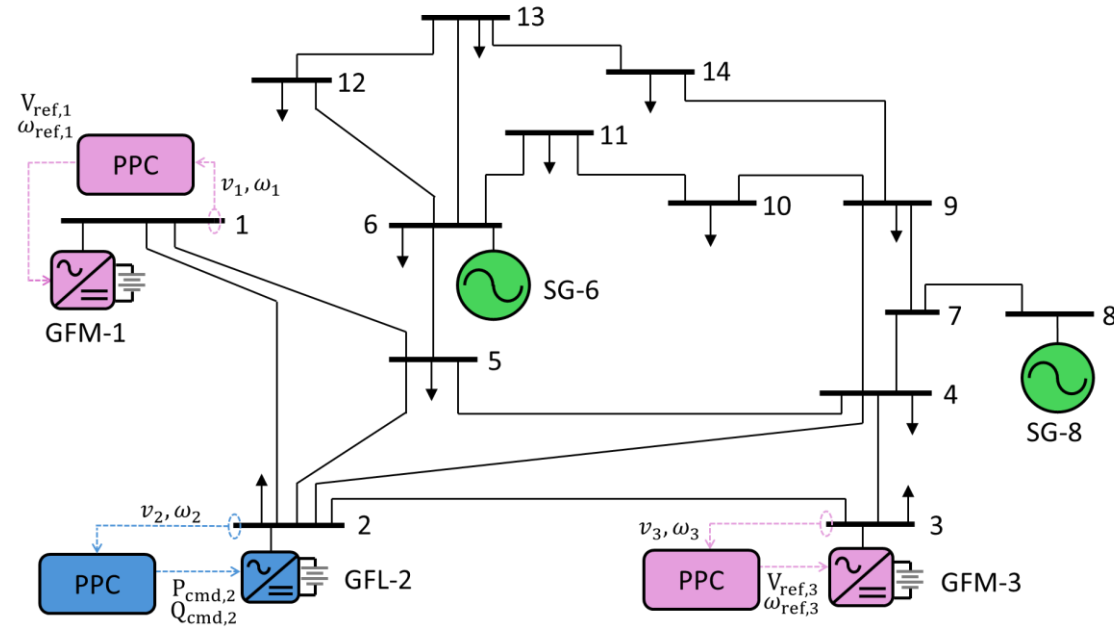


TABLE I  
MODAL ANALYSIS RESULTS - UNTUNED

Mode	Frequency (Hz)	Damping Ratio	Largest Participating States
$\lambda_1$	7.141	0.0340	$\delta_1, \omega_1, \delta_3, \omega_3$
$\lambda_2$	3.134	0.1578	$\omega_3, \delta_3, \omega_1, \delta_1, P_{cmd,2}, \delta_2, \delta_6, \omega_6$
$\lambda_3$	1.725	0.1067	$\omega_6, \delta_6, \omega_8, \delta_8$
$\lambda_4$	0.915	0.0175	$\delta_2, \epsilon_{p,2}, P_{cmd,2}, \omega_8, \delta_8, \omega_6, \delta_6$
$\lambda_5$	0.410	0.1457	$E_{fd,8}, E_{q,p,8}, V_{f,8}$
$\lambda_6$	0.260	0.6205	$V_{f,6}, E_{q,p,6}, E_{fd,6}$

Possible Oscillation Frequencies

Variables Within Devices Responsible for the oscillations

Amount of Damping of Those Oscillations

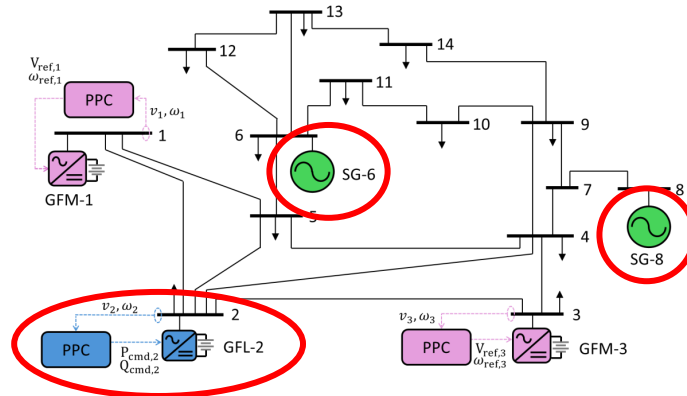
- We first apply this framework in a 4-bus system and then 14 bus system (2 GFM, 1 GFL and 2 SG)
- PPC is also included for each IBR
- 45 states included in the A-matrix

# Example Test System

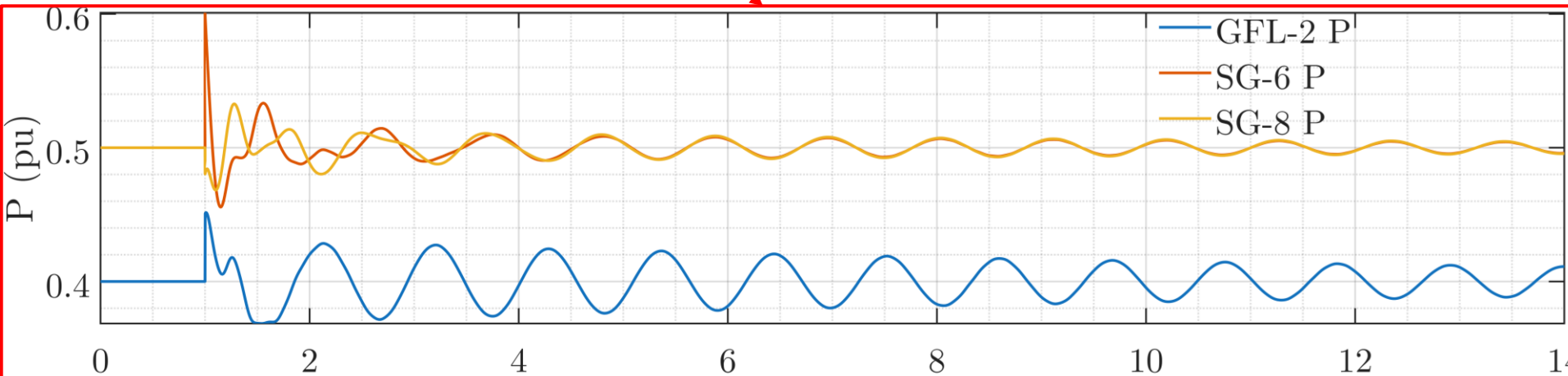
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The participation factors told us *beforehand* these devices would be involved in this oscillation



The GFL and 2 Synchronous Generators are seen to oscillate at the 0.915 Hz frequency – very poorly damped!

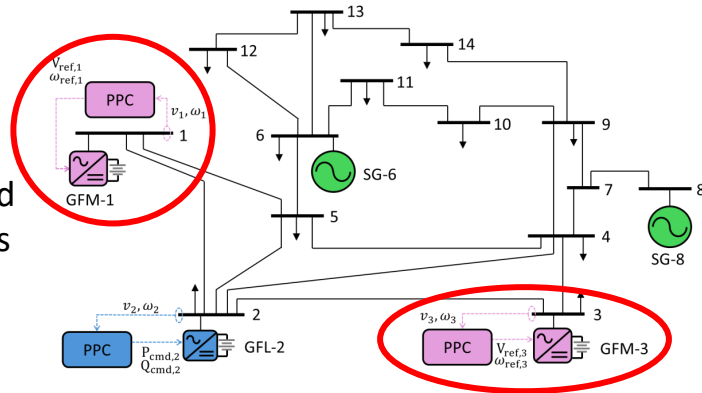


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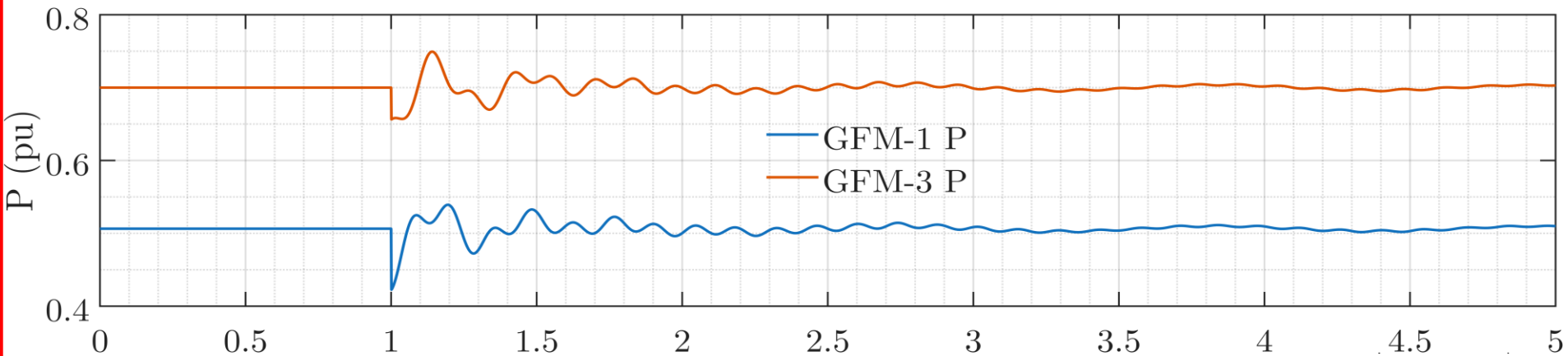
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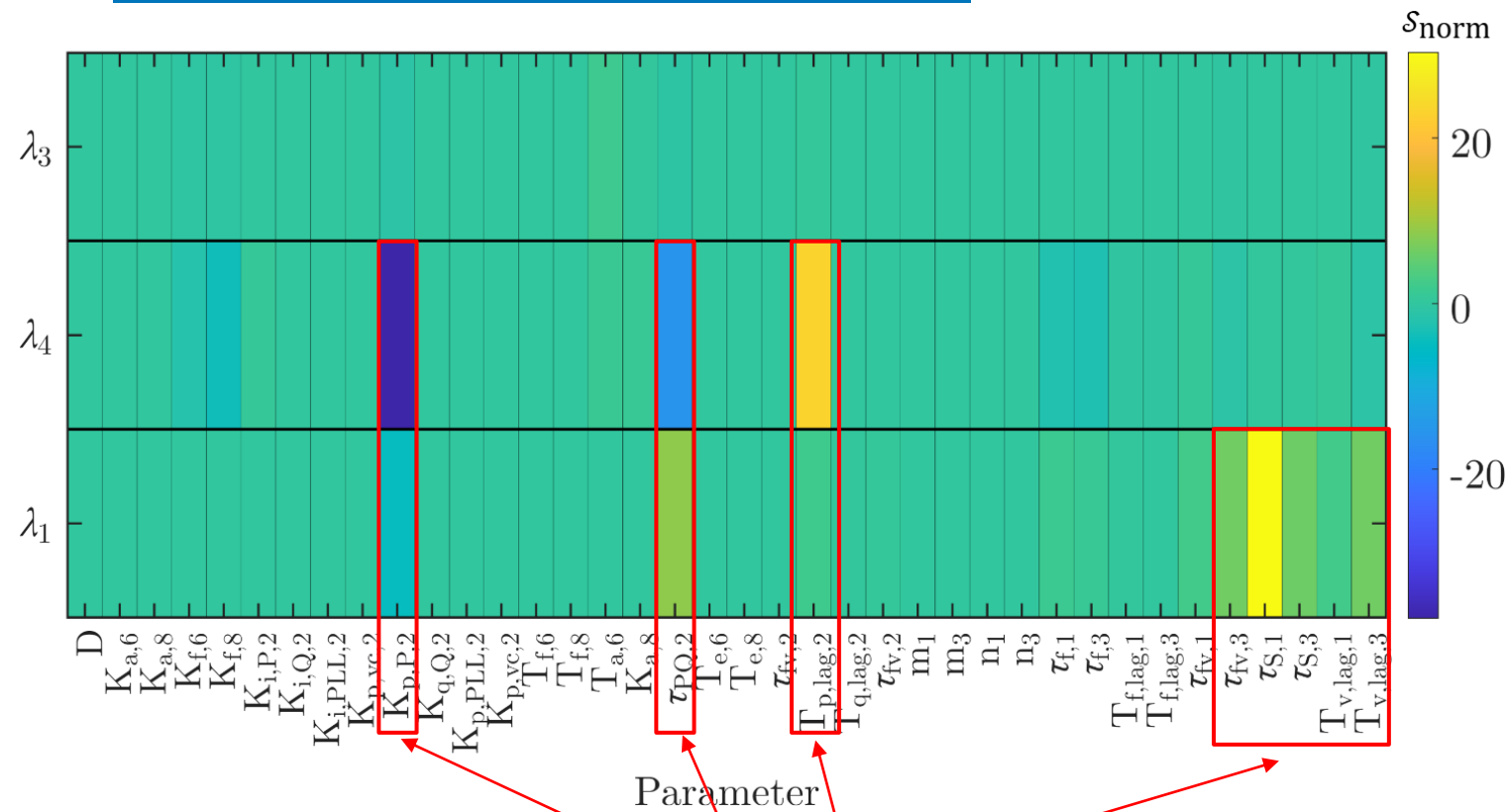
The participation factors told us *beforehand* these devices would be involved in this oscillation



The 2 GFM's are seen to oscillate at the 7.141 Hz frequency – also poorly damped!



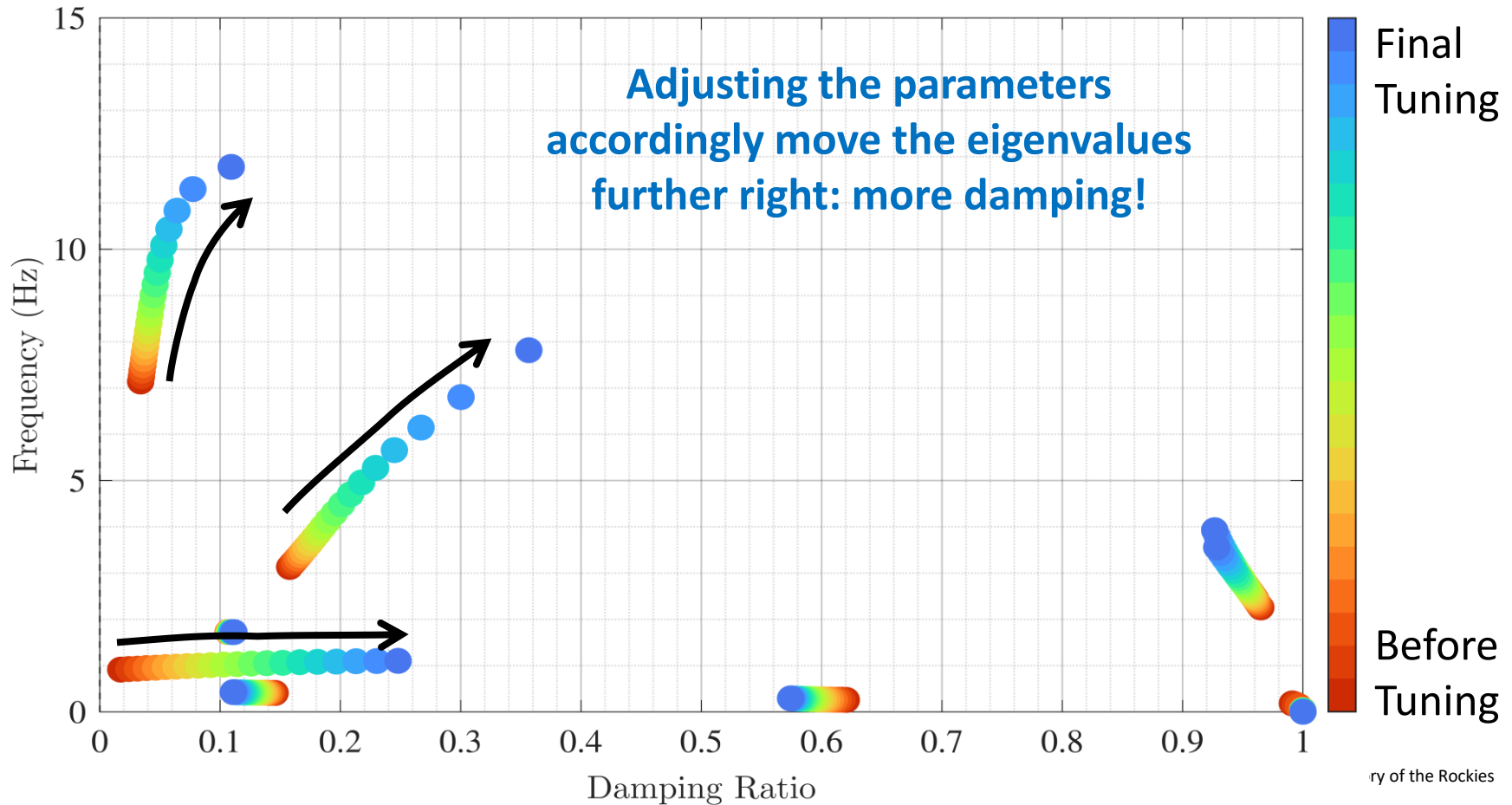
# Parameter Sensitivity



- Pinpoint the parameters need to be tuned and direction to be tuned
- If the color shows negative which means the parameter needs to be increased.

**Adjust these!**

# Tuning Parameters



# Tuned Test System

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TABLE II  
MODAL ANALYSIS RESULTS - TUNED

Mode	Frequency (Hz)	Damping Ratio	Largest Participating States
$\lambda_1$	11.779	0.1092	$\omega_1, \delta_1, \omega_3, \delta_3$
$\lambda_2$	7.816	0.3566	$\omega_3, \delta_3, \delta_2, \omega_1, \delta_1, P_{\text{cmd},2}$
$\lambda_3$	1.725	0.1114	$\omega_6, \delta_6, \omega_8, \delta_8$
$\lambda_4$	1.102	0.2480	$\omega_8, \delta_8, \delta_2, \epsilon_{p,2}, \omega_6, \delta_6$
$\lambda_5$	0.427	0.1109	$E_{fd,8}, E_{q,p,8}, V_{f,8}$
$\lambda_6$	0.293	0.5742	$V_{f,6}, E_{fd,6}, E_{q,p,6}$

Much higher damping!

CONTROLLER PARAMETER TUNING RESULTS

	$\tau_{PQ,2}$	$K_{p,P,2}$	$\tau_{ff,2}$	$T_{p,lag,2}$	$\tau_{fv,2}$	$\tau_{s,1}$	$\tau_{s,3}$	$\tau_{ff,1}$	$\tau_{ff,3}$	$\tau_{fv,1}$	$\tau_{fv,3}$
Initial Value	0.05	0.5	0.05	0.2	0.03	0.23	0.23	0.1	0.1	0.03	0.03
Final Value	0.01	0.9	0.02	0.02	0.01	0.1	0.1	0.02	0.02	0.02	0.02

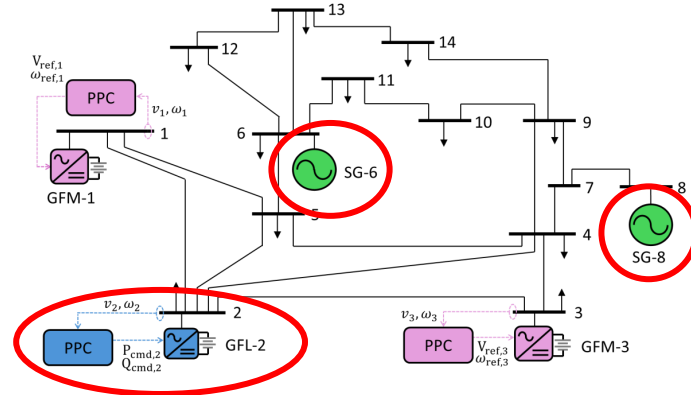
We may know what to be tuned but we don't know how to tune them without this framework!

# Tuned Test System

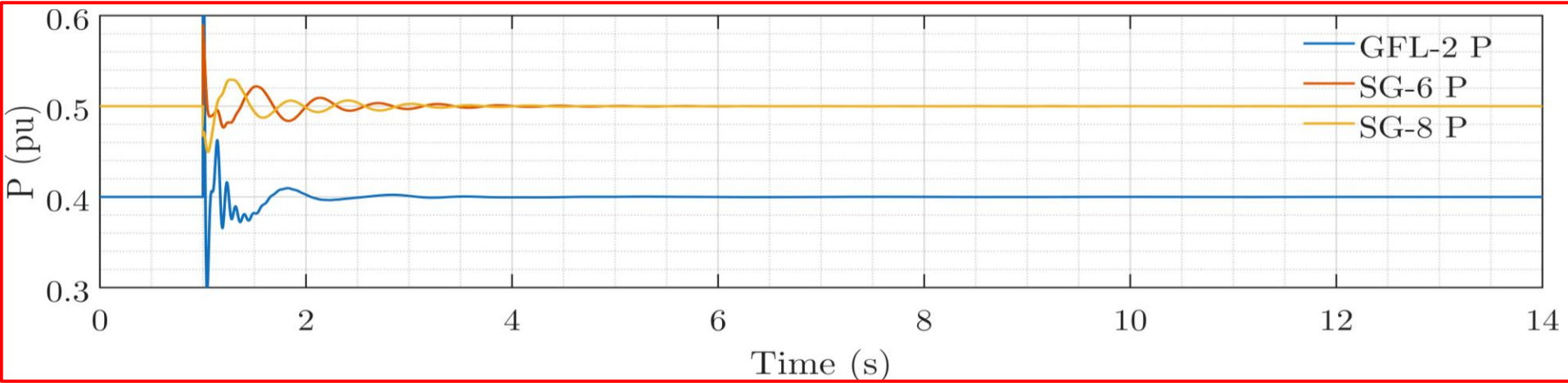
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Again, the participation factors told us *beforehand* these devices would be involved in this oscillation



The GFL and 2 Synchronous Generators are seen to be much more damped in their oscillation!

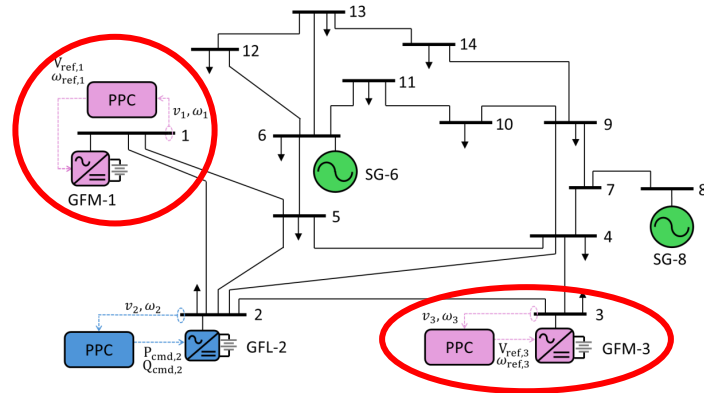


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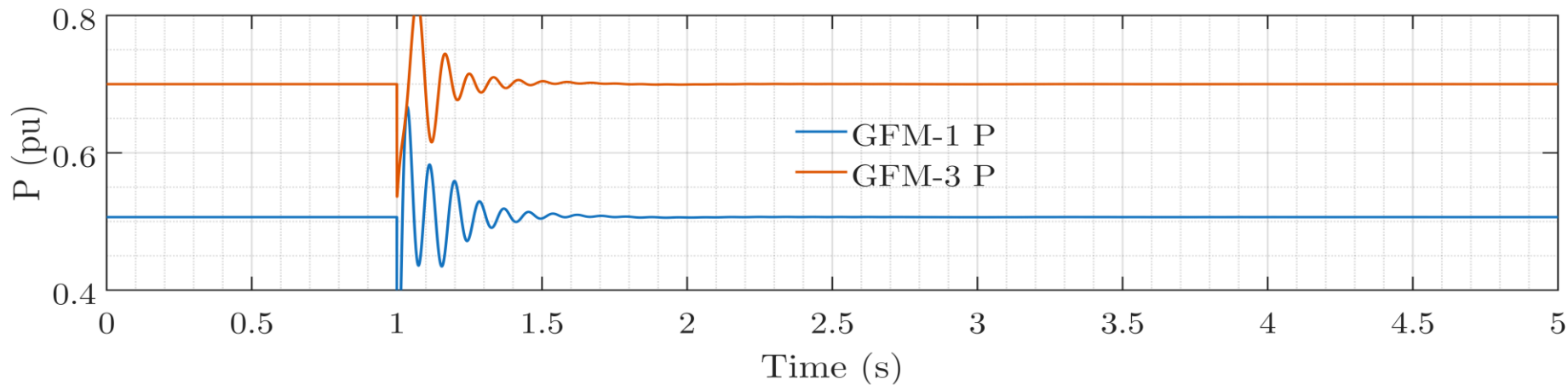
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Again, the participation factors told us *beforehand* these devices would be involved in this oscillation



The 2 GFM's are seen to stop oscillating much faster than before



# Conclusion

- Small-signal based eigenvalue approach provides rooted-solutions for troubleshooting and mitigating oscillation problems.
  - Include all the key control loops and parameters
  - Develop a system-level stability analytic framework
  - Demonstrate its efficacy with examples
- The fully automated process makes this framework applicable and scalable for any real-world systems
- This framework serves as a foundation for future studies aimed at automated tuning, robust control design or integration of GFM/GFL controls strategies etc.

# References

- [1] S. Chakraborty, B. Umathe, J. Wang, “Control Parameter Sensitivity Study for Inverter-Based-Resource Dominated Grids: A Small Signal Stability Approach and Framework,” 2025 IEEE Energy Conversion Conference Congress and Exposition (ECCE).
- [2] O. Cornmesser, S. Chakraborty, J. Wang, “Control Parameter Sensitivity Study for Inverter-Based-Resource Dominated Grids: A Small Signal Stability Approach and Framework,” IEEE Tran. Ind. Applications, 2026 (submitted).

# Questions/Answers

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